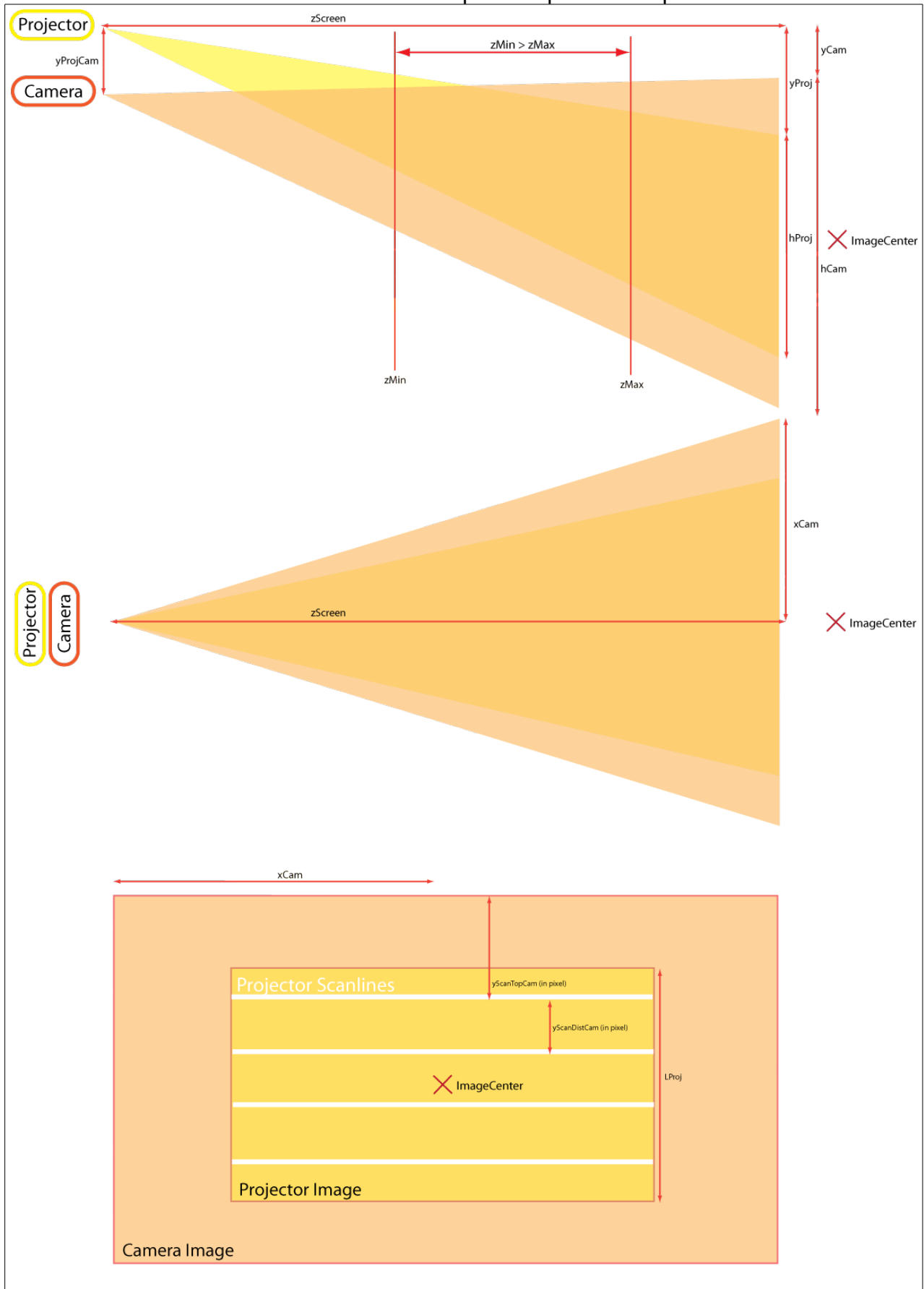
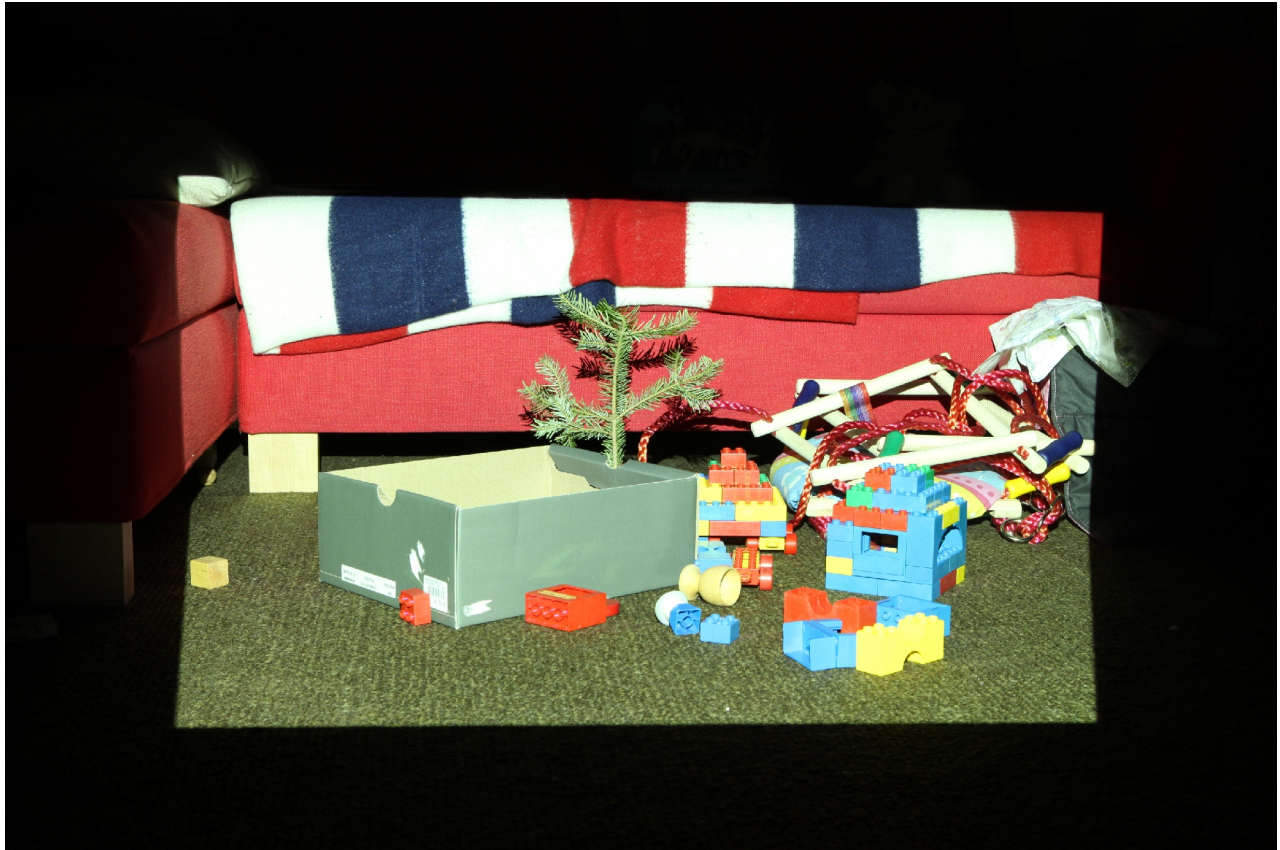


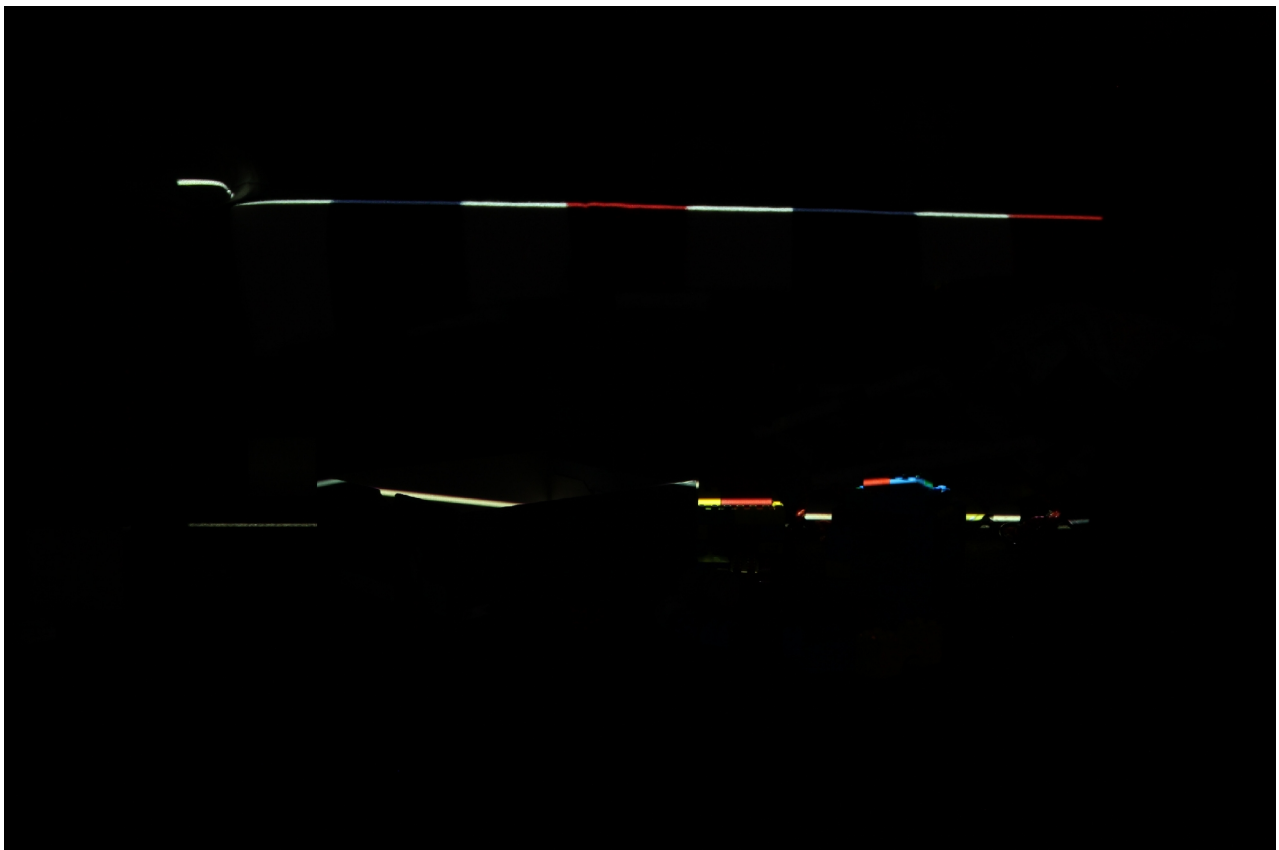
Digitizing a large objects with a camera and a Projector

Schematic Overview of the Principle Setup Side // Top // Front View





First Image „Scan_04_0001.JPG“

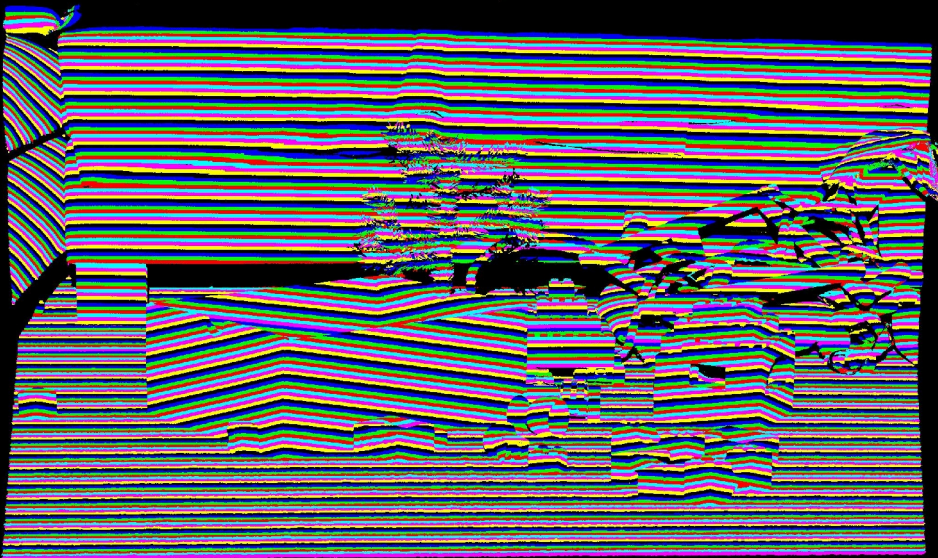


Second „Scan_04_0002.JPG“

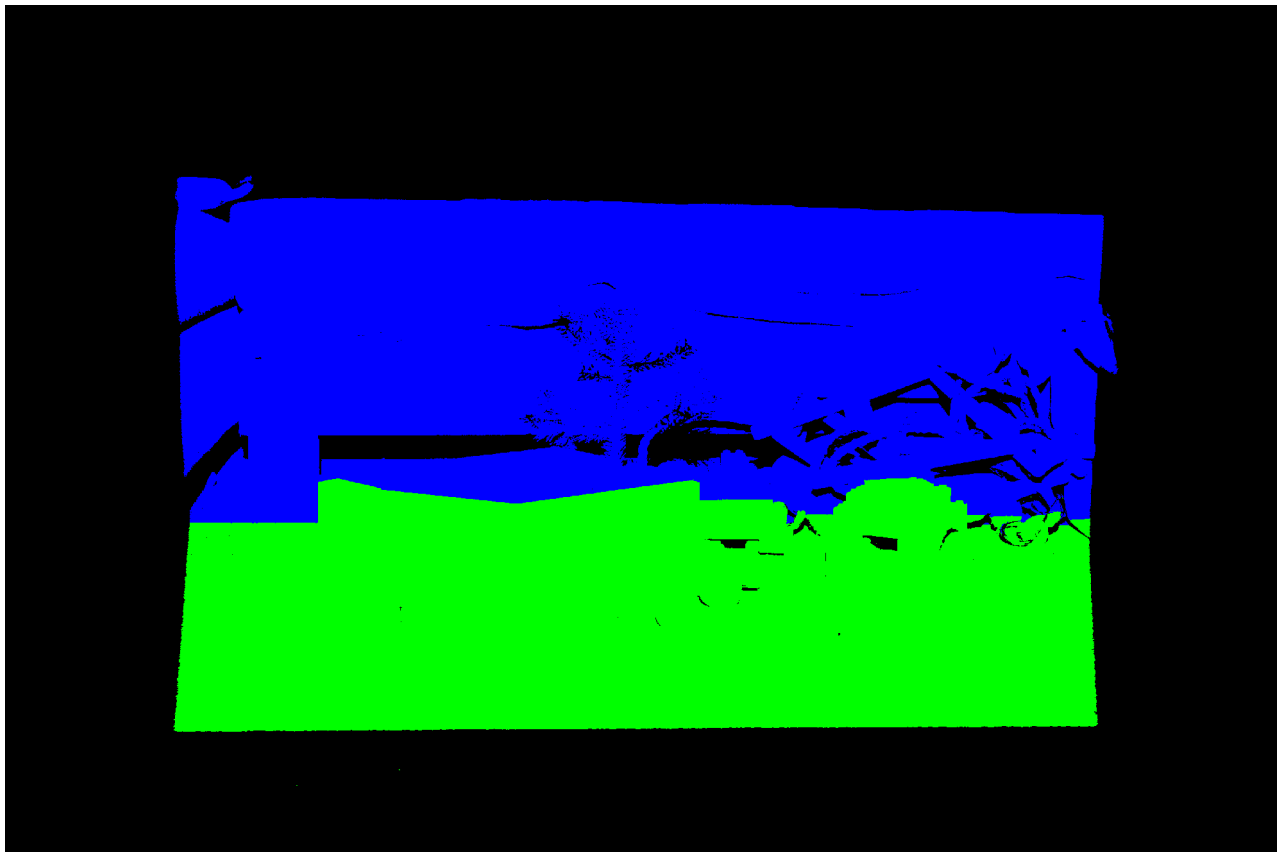
Calculated Control Images



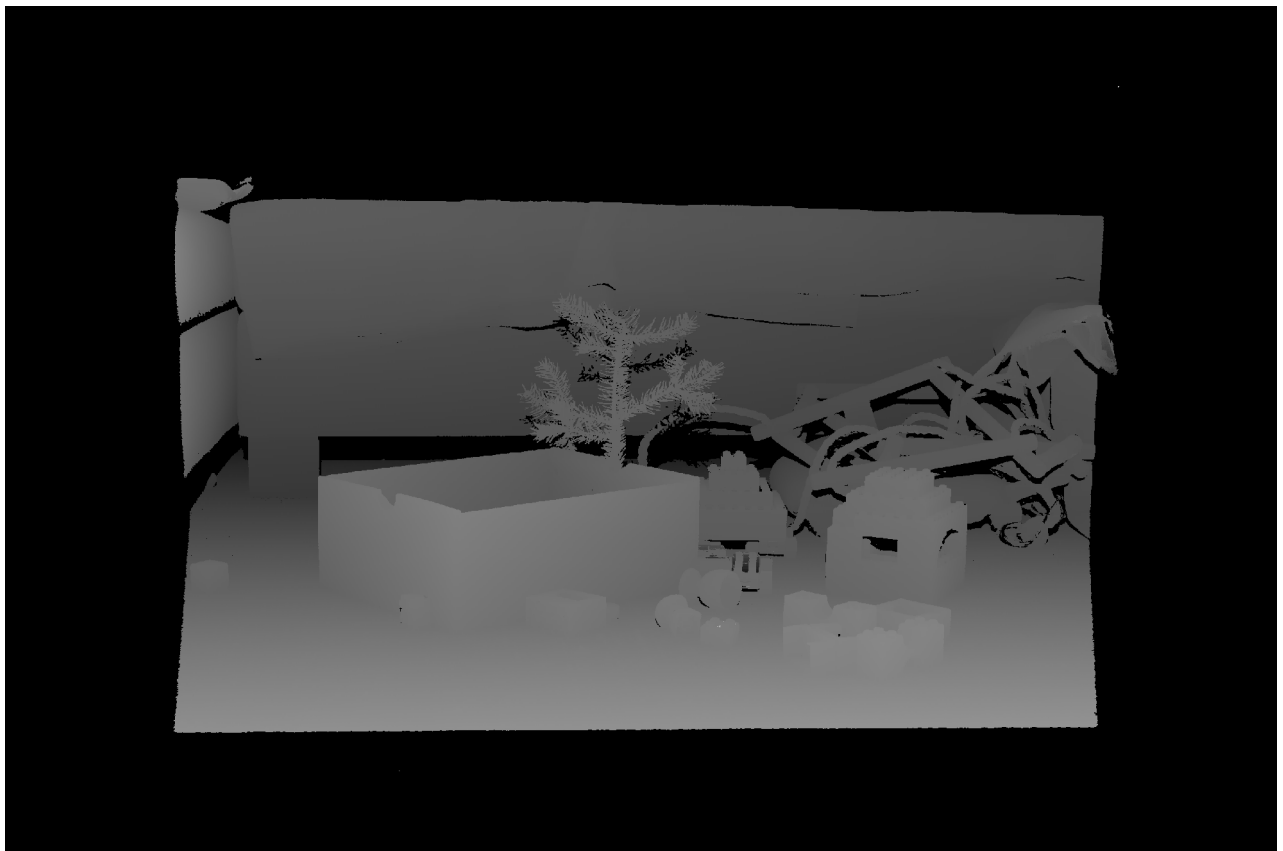
„Brightness.bmp“



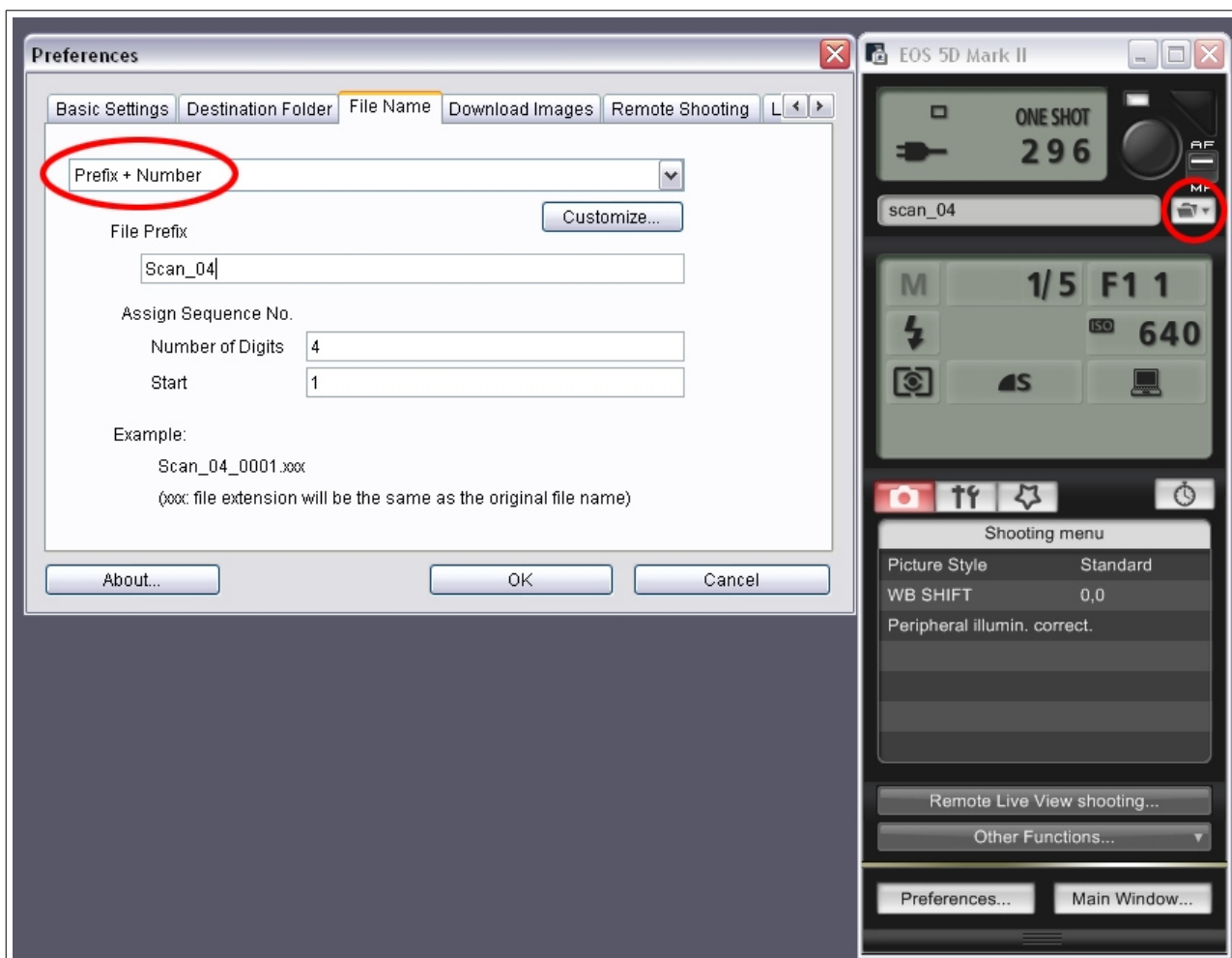
PictureNumberMap.bmp



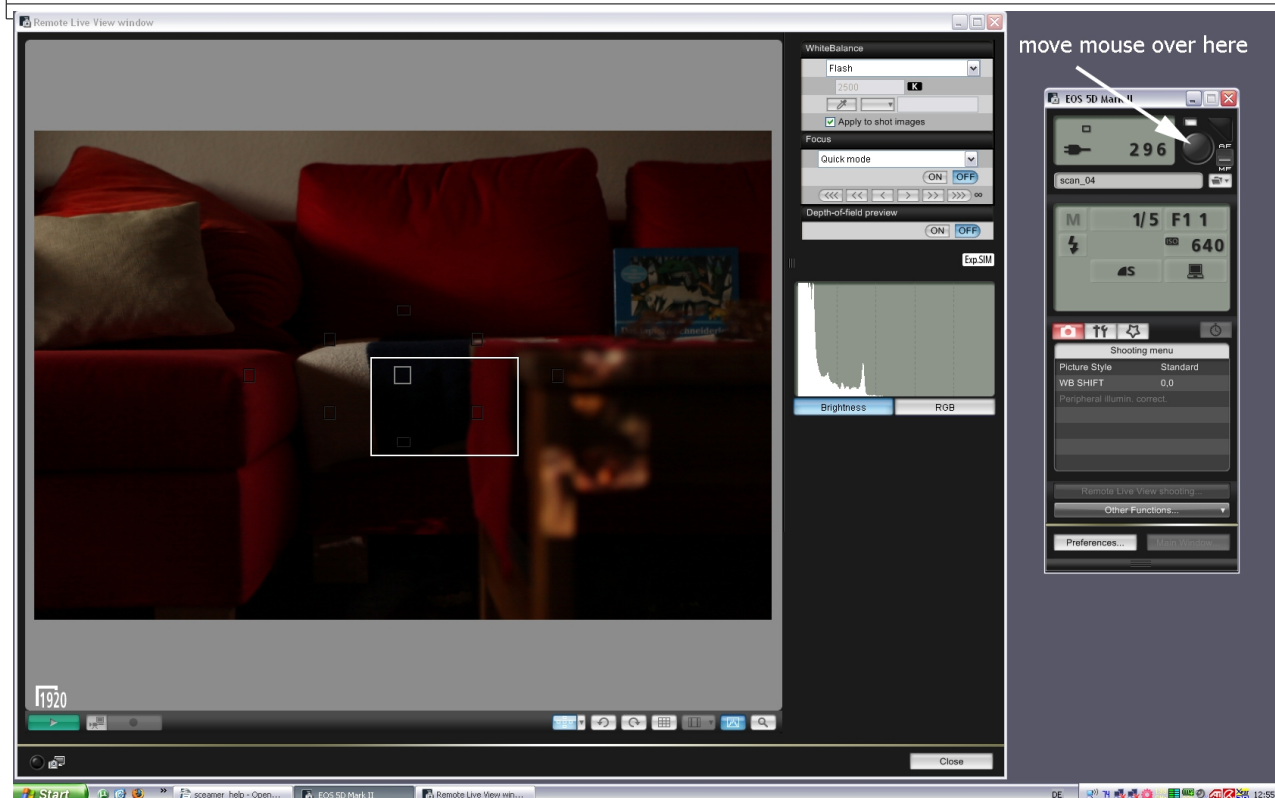
„BeamNumberMap.bmp“ (with only 2 Beams)



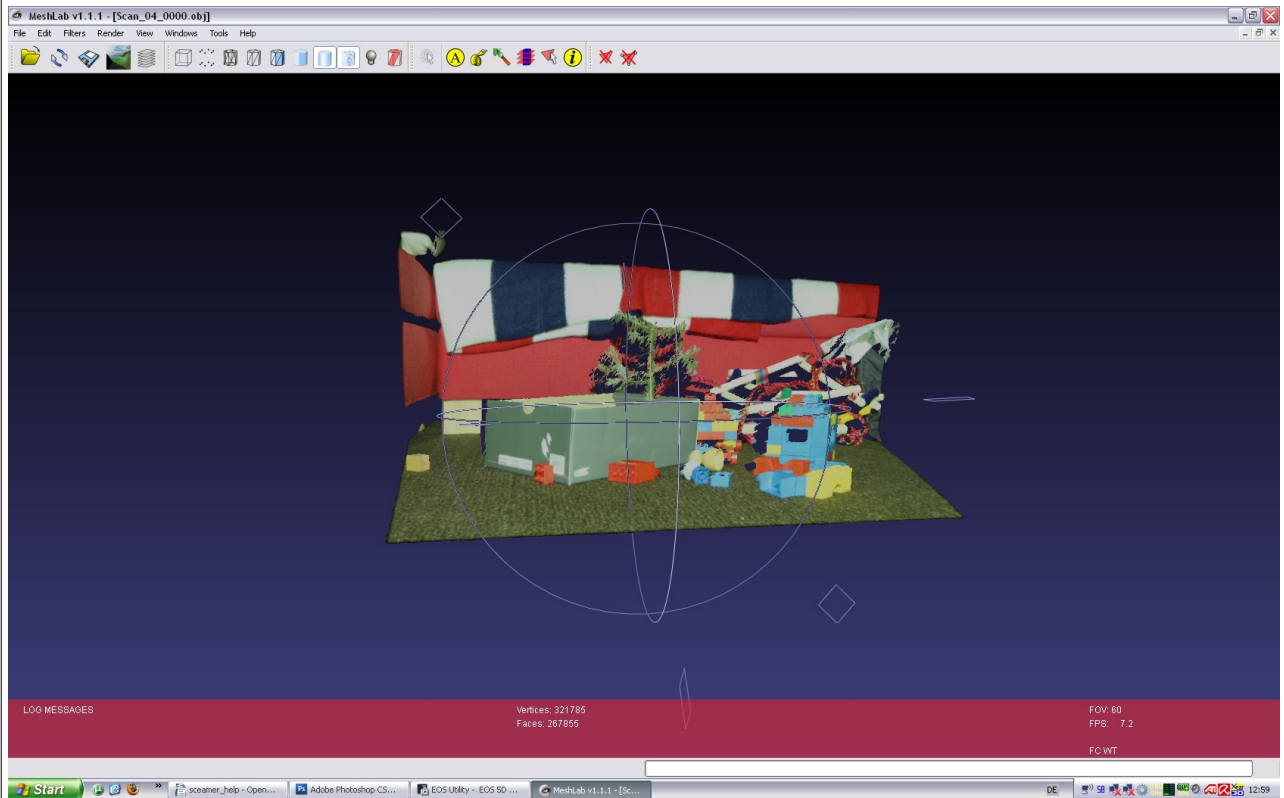
Resulting „DepthMap.bmp“



Eos Utility File saving settings



Eos Live View (Note Mouse Position for Sceamer Rec)



Viewing the Obj Mesh

<http://meshlab.sourceforge.net/>



Scan parameters

Distance between scanlines Pixel

Scanline height Pixel

Sound for picture ☒

Mouse click for picture ☒

Mouse positioning wait s

Image wait s

Scan

Press F1 to stop scanning
or to exit fullscreen mode

White

Scanlines

Grid

Projector geometry parameters

Projector screen distance (zScreen) m

Difference in height beamer to top
border of projection (yProj) m

Projection height (hProj) m

Projector Columns (cProj) Pixel

Projector Lines (lProj) Pixel

Help

Geometry of setup:

Projector is at origin of coordinate
system.

y: upwards

x: right (in line of sight of projector)

z: depth

Camera straight below projector.

Screen at distance (zScreen) from
projector and camera.

Help

Sceamer blog

Homepage

Camera geometry parameters

Distance Camera to projector
(yProjCam) m

Difference in height beamer to top
border of camera field of view (yCam) m

Left edge of field of view on screen
at top border of field of view (xCam) m

Lowest camera line illuminated by top
scanline on screen (yScanTopCam) Pixel

Camera lines to next scanline on
screen (yScanDistCam) Pixel

Conversion parameters

First file

Browse...

Minimum Brightness for valid pixel %

Low res camera pixels per polygon Pixel

High res: threshold gradient %

Minimum distance (zMin) m

Maximum distance (zMax) m

Maximum polygon depth m

Calculate

Stop

Load/Save parameters

Load

Save

Calculation of object coordinates (see Figure 1)

Linear equation for illumination beam

$$y_{Proj}(z) = -y_{ProjScreen} \cdot \frac{z}{z_{Screen}}$$

$$\text{with } y_{ProjScreen} = y_{Proj} + \underbrace{\text{LineNumber}_{Proj} \cdot \frac{h_{Proj}}{l_{Proj}}}_{\sigma_{Proj}} \quad (I)$$

Linear equation for "camera beam"

$$y_{Cam}(z) = -y_{ProjCam} + (y_{ProjCam} - y_{CamScreen}) \cdot \frac{z}{z_{Screen}}$$

$$\text{with } y_{CamScreen} = y_{Cam} + \underbrace{\text{LineNumber}_{Cam} \cdot \frac{h_{Cam}}{l_{Cam}}}_{\sigma_{Cam}} \quad (II) (*)$$

Object at depth z_{Obj} , hit by both beams

$$y_{Proj}(z_{Obj}) = y_{Cam}(z_{Obj}) \equiv y_{Obj} \quad (IV)$$

Solve for z_{Obj}

$$-y_{ProjScreen} \frac{z_{Obj}}{z_{Screen}} = -y_{ProjCam} + (y_{ProjCam} - y_{CamScreen}) \frac{z_{Obj}}{z_{Screen}}$$

$$z_{Obj} \frac{y_{ProjCam} - y_{CamScreen} + y_{ProjScreen}}{z_{Screen}} = y_{ProjCam}$$

$$z_{Obj} = \frac{y_{ProjCam} \cdot z_{Screen}}{y_{ProjCam} - y_{CamScreen} + y_{ProjScreen}} \quad (III)$$

Position in x Direction (see Figure 2)

Linear equation for "camera beam"

$$x_{Cam}(z) = x_{CamScreen} \cdot \frac{z}{z_{Screen}}$$

$$\text{with } x_{CamScreen} = x_{Cam} - \underbrace{\text{ColumnNumber}_{Cam} \cdot \frac{2 \times Cam}{c_{Cam}}}_{\sigma_{Cam}} \quad (V) (*)$$

$$x_{Obj} = x_{Cam}(z_{Obj}) = x_{CamScreen} \frac{z_{Obj}}{z_{Screen}} \quad (VI)$$

$$\Rightarrow \vec{r}_{Obj} = \begin{pmatrix} x_{Obj} \\ y_{Obj} \\ z_{Obj} \end{pmatrix}$$

(*) only valid if camera orthogonal to screen
correct formulas for tilted camera: see below

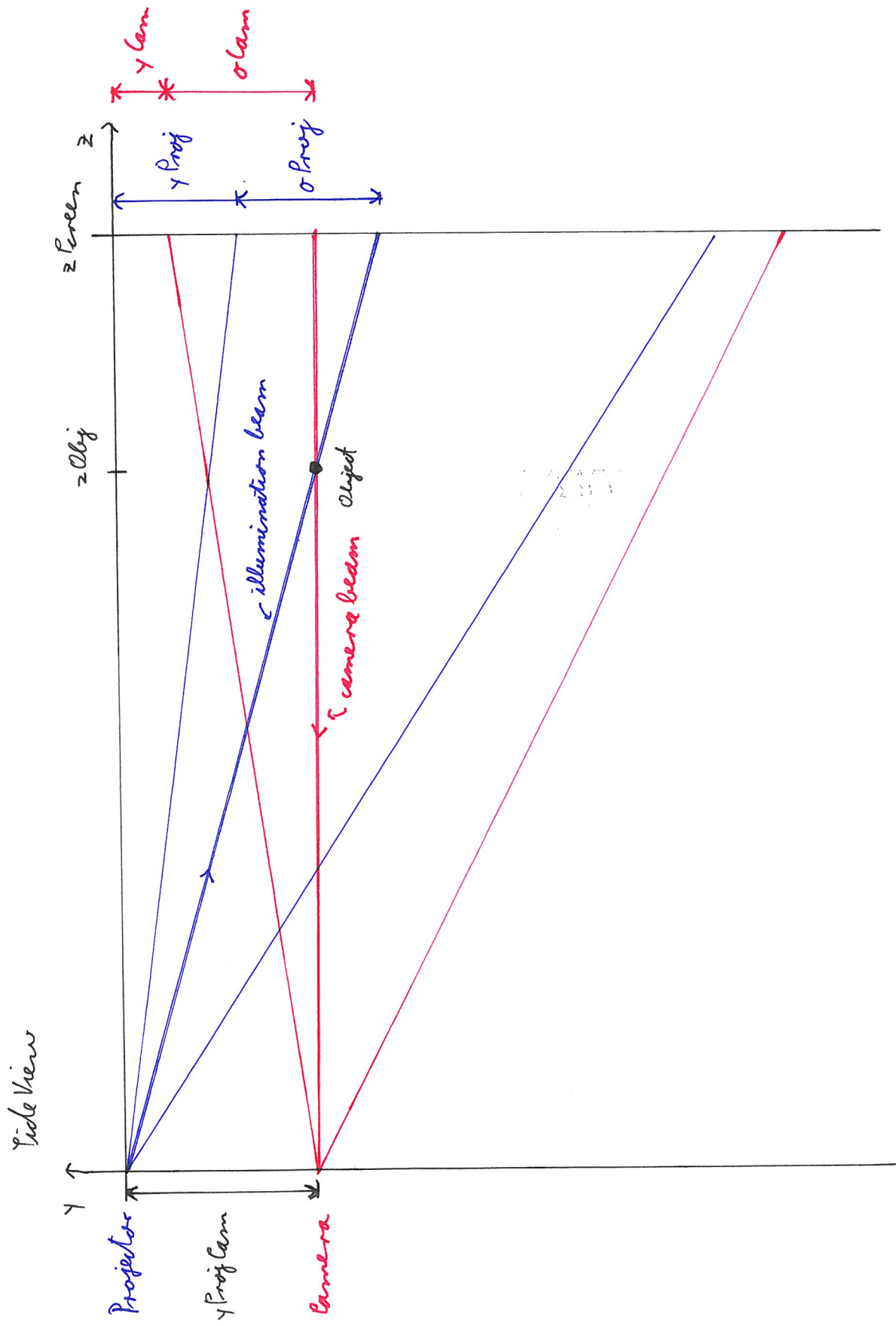


Figure 1

Top view

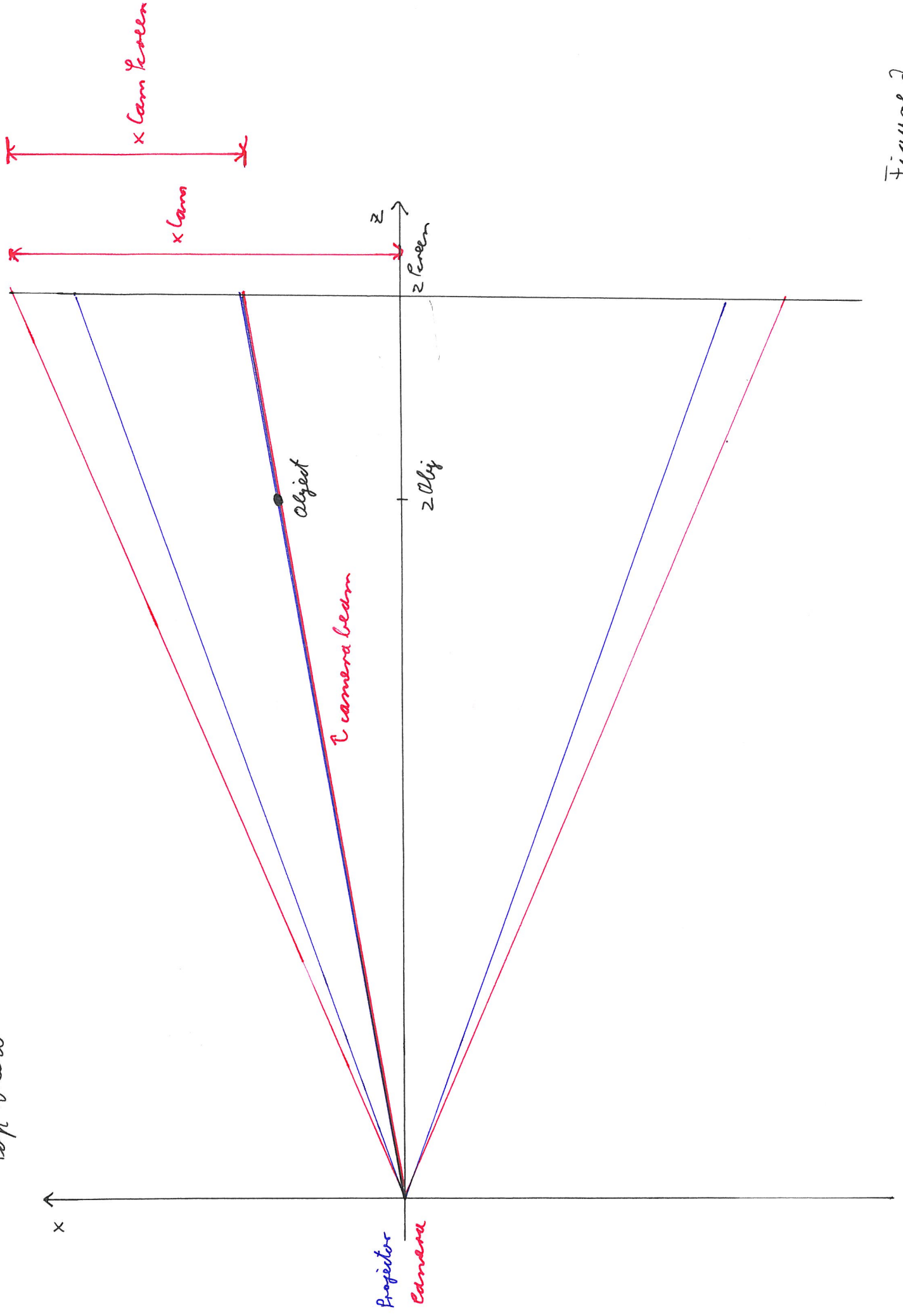


Figure 2

Conversion from camera coordinates to screen coordinates for tilted camera (see Figure 3)

$$l_1 = \sqrt{z_{Screen}^2 + (y_{ProjCam} - y_{Cam})^2}$$

$$l_3 = 2 \times l_{Cam} \cdot \frac{l_{Cam}}{c_{Cam}}$$

$$\alpha_4 = \arctan\left(\frac{y_{ProjCam} - y_{Cam}}{z_{Screen}}\right)$$

$$\alpha_2 = \arccos\left(\frac{l_3/2}{l_1}\right)$$

$$\alpha_3 = 90^\circ - \alpha_4 - \alpha_2$$

$$\alpha_1 = 90^\circ - \alpha_2$$

$$\alpha_5 = \alpha_3 + \alpha_1$$

$$l_4 = z_{Screen} \cdot \tan(\alpha_5)$$

$$h_{Cam} = y_{ProjCam} - y_{Cam} + l_4$$

$$l_2 = \sqrt{z_{Screen}^2 + l_4^2}$$

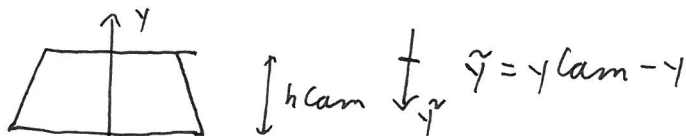
$$p_{Cam} = \text{lineNumber}_{Cam} \cdot \frac{l_3}{l_{Cam}}$$

$$o_{Cam} = p_{Cam} \cos \alpha_3$$

use this o_{Cam} in the formula for $y_{CamScreen}$

Determination of $x_{Cam}(y)$

Camera viewing area on screen:



line on upper border: $2 \times x_{Cam}(0)$

line on lower border: $2 \times x_{Cam}(0) \frac{l_2}{l_1}$

linear interpolation:

$$x_{Cam}(y) = x_{Cam}(0) + x_{Cam}(0) \left(\frac{l_2}{l_1} - 1 \right) \frac{y}{h_{Cam}}$$

use this x_{Cam} in the formula for $x_{CamScreen}$

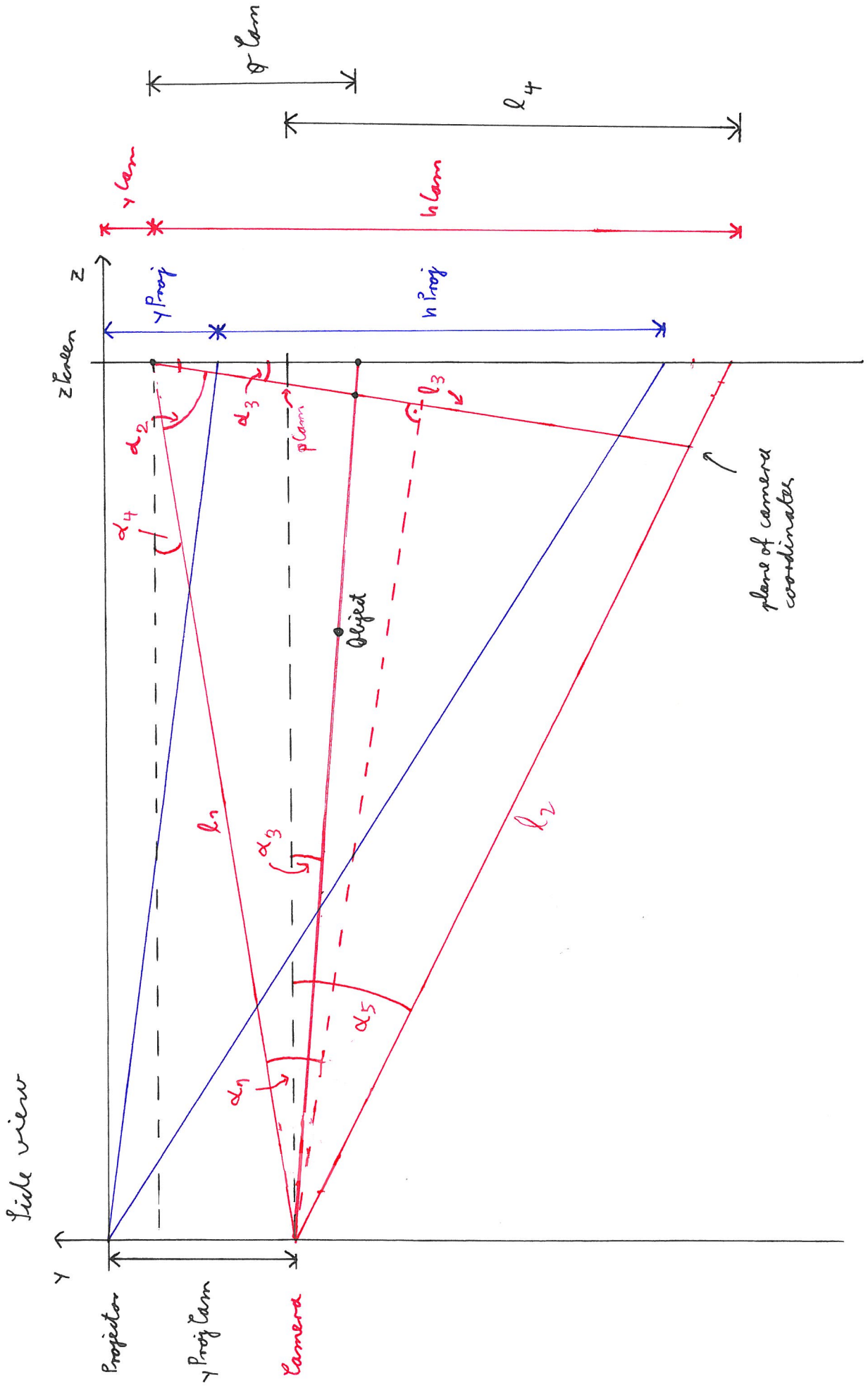


Figure 3

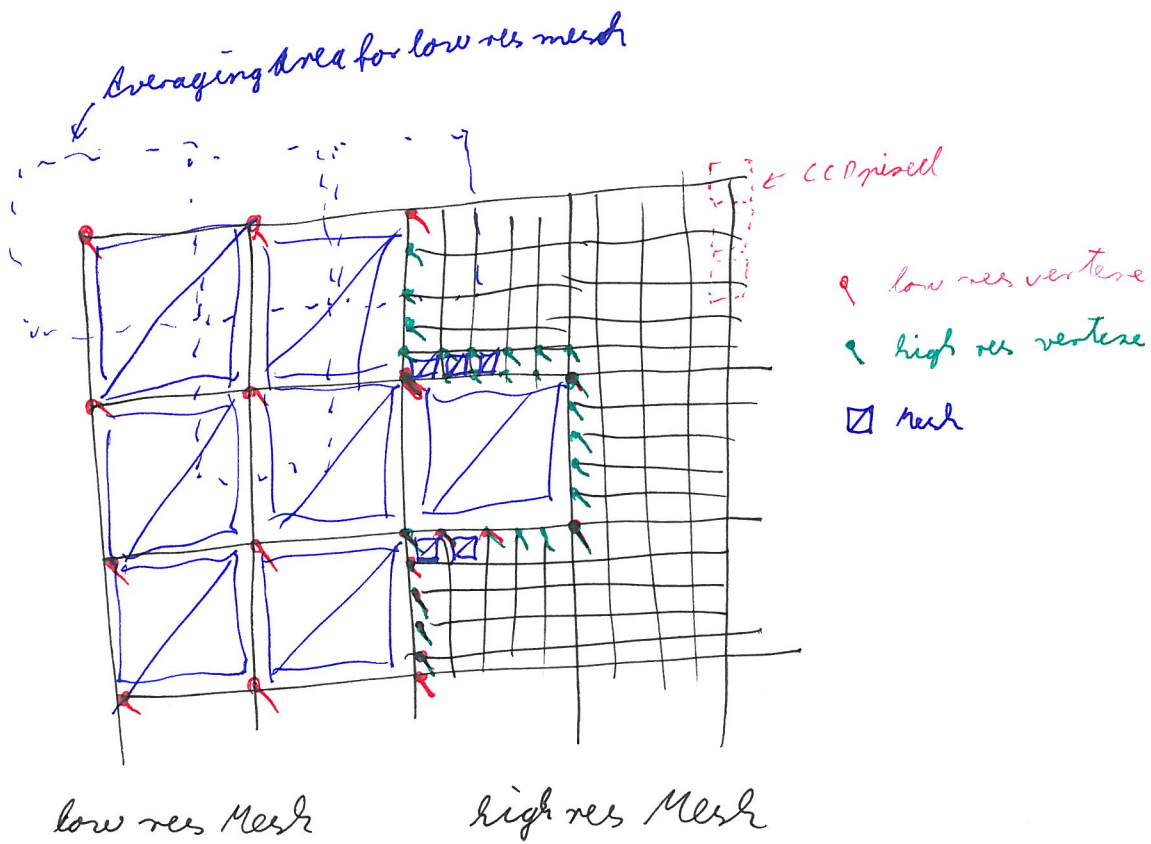


Figure 4